

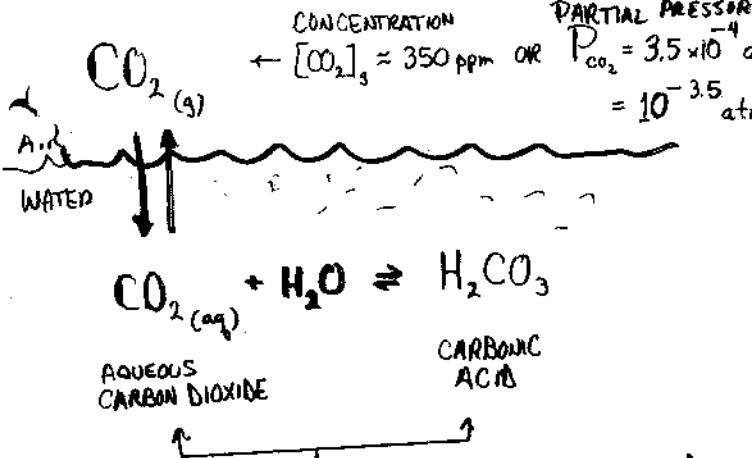
ESSENTIALS OF AQUEOUS CARBONATE CHEMISTRY

MOTIVATION: Why do we care?

CO_2 + Carbonate minerals are the most important components regulating the pH of natural waters.

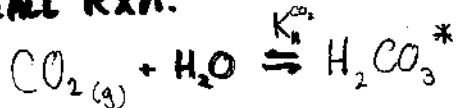
CAN ANSWER/UNDERSTAND:

- Why is ocean water almost always about pH 8.3?
- Why are some lakes easily acidified by acid rain & others are ~immune?
- What are the impacts of acid-mine drainage or acidic effluents on receiving waters?
- Why do algal blooms cause wild fluctuations in the pH of eutrophic lakes?
- How can we manipulate pH in a treatment system?



Convenient to lump these 2 together
Call it: $\text{H}_2\text{CO}_3^* = \text{CO}_2 \text{ (aq)} + \text{H}_2\text{O}$

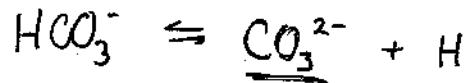
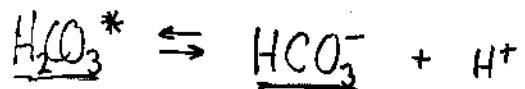
OVERALL RXN:



$$\frac{[\text{H}_2\text{CO}_3^*]}{P_{\text{CO}_2}} = K_h = 10^{-1.5} \text{ M} \cdot \text{atm}^{-1}$$

CARBONIC ACID FORMS

BICARBONATE AND CARBONATE IONS



In laboratory can measure
TOTAL INORGANIC CARBON

$$\text{TIC} = \text{C}_T$$

↑
 LAG
 USAGE

↑
 CHEMIST'S
 TERM

$$C_T = [H_2CO_3^*] + [HCO_3^-] + [CO_3^{2-}]$$

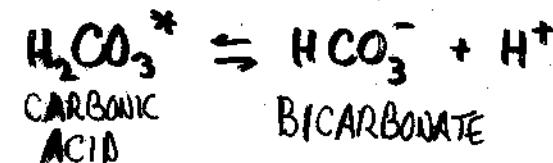
1

BUT NEED EQUILIBRIUM
CALCULATIONS TO
IDENTIFY AMOUNT OF
EACH SPECIES.

CARBONATE EQUILIBRIA



11

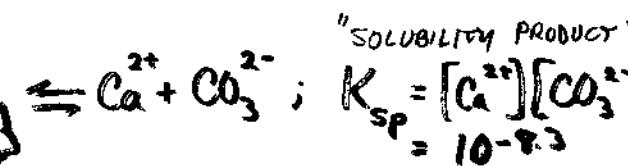


$$\text{pH} = \frac{[\text{H}_2\text{CO}_3^+]}{\text{PCO}_2} = 10^{-1.5}$$

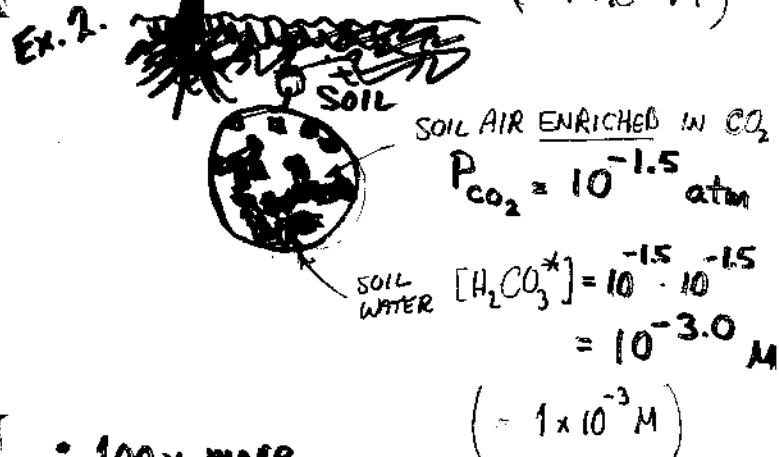
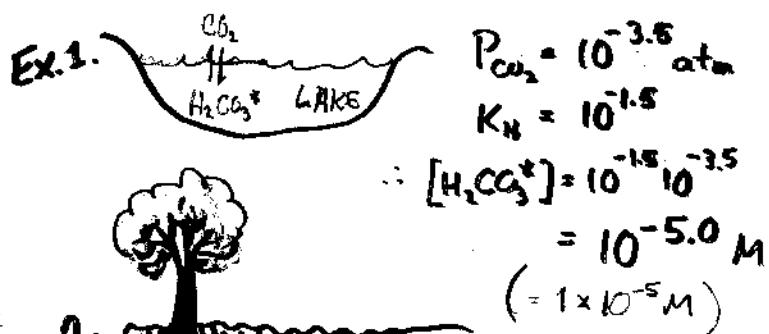
$$K_{\text{HCO}_3} = \frac{[\text{H}^+][\text{HCO}_3^-]}{[\text{H}_2\text{CO}_3]} = 10^{-6.3}$$

$$K_{\text{aq}} = \frac{[\text{H}^+][\text{CO}_3^{2-}]}{[\text{HCO}_3^-]} = 10^{-10.3}$$

• ٦٣ •

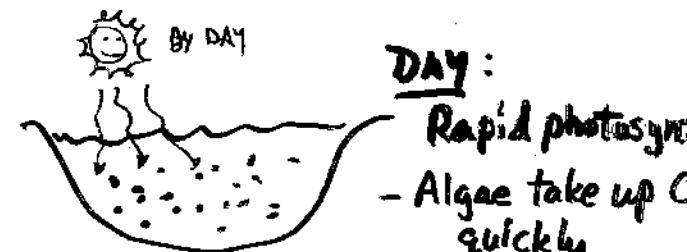
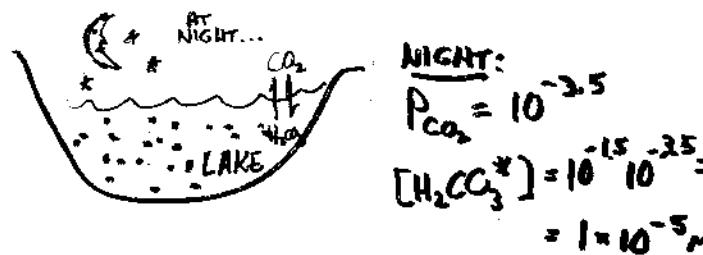


So AT EQUILIBRIUM amount of CO_2 in the air regulates amount of weak acid H_2CO_3^* in water



$\therefore 100 \times$ more Carbonic acid in soil water than lake

SOMETIMES WATER NOT in EQUILIBRIUM WITH AIR, but in "INTERNAL" EQUIL.



$$P_{\text{CO}_2}^{\text{WATER}} = 10^{-5.2}$$

$$[\text{H}_2\text{CO}_3^*] = 10^{-1.5} \cdot 10^{-5.2} = 10^{-6.7}$$

✓ 50x less Carbonic acid due to algae

"DOMINANT SPECIES"

Usually only one, maybe two species are important at any pH:

$$\text{Ex: } K_{a_1} = \frac{[\text{H}^+][\text{HCO}_3^-]}{[\text{H}_2\text{CO}_3^*]} = 10^{-6.3}$$

$$\frac{[\text{HCO}_3^-]}{[\text{H}_2\text{CO}_3^*]} = \frac{10^{-6.3}}{10^{-\text{pH}}}$$

FOR EQUAL AMTS

$$\frac{1}{1} = \frac{10^{-6.3}}{10^{-\text{pH}}}$$

AT pH = 6.3

$$= \text{p}K_{a_1}$$

$$[\text{HCO}_3^-] = [\text{H}_2\text{CO}_3^*]$$

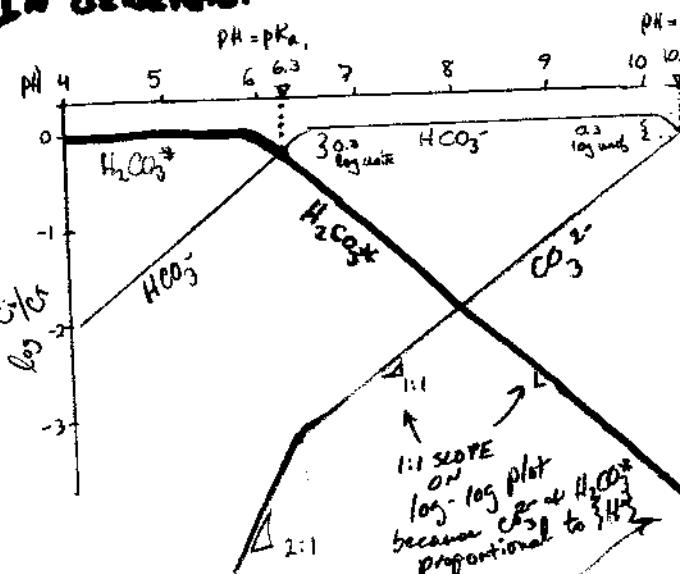
At pH 7.3: $\frac{[\text{HCO}_3^-]}{[\text{H}_2\text{CO}_3^*]} = \frac{10^{-6.3}}{10^{-7.3}} = 10^{10 \text{ MORE HCO}_3^-}$

At pH 5.3: $\frac{[\text{HCO}_3^-]}{[\text{H}_2\text{CO}_3^*]} = \frac{10^{-6.3}}{10^{-5.3}} = 0.1^{10 \text{ MORE H}_2\text{CO}_3^*}$

SAME IS TRUE FOR $\frac{[\text{CO}_3^{2-}]}{[\text{HCO}_3^-]}$

around pH = $\text{p}K_{a_2} = 10.3$

IN GENERAL:



1:1 SLOPE ON log-log plot because $\text{CO}_3^{2-} \propto \text{H}_2\text{CO}_3^*$
proportional to H_2CO_3^*

2:1 because $\text{CO}_3^{2-} \propto \text{H}_2\text{CO}_3^*$
 $+ \text{HCO}_3^- \propto \text{H}_2\text{CO}_3^*$
or the square
of $\{\text{H}^+\} (\text{H}_2\text{CO}_3^*)$