

Table 3. Values of physical parameters used in the Buffalo Slough Model.

Basin area	76,520 m ²
Basin volume	153,050 m ³
Depth of reactive sediment	0.1 m
Volume of reactive sediment	7,650 m ³
Groundwater inflow	21,600 m ³ /day
Stormwater inflow	2,400 m ³ /day
Total suspended solids in stormwater	220 mg/L
Total suspended solids in Buffalo Slough	16 mg/L
Sedimentation velocity	1.0 m/d

Table 4. Values of chemical parameters used in the Buffalo Slough Model.

Parameter	1254	1260	Chlordane
log K _{ow}	6.04	6.91	6.00
log K _{oc} (sediments)	5.08	5.85	5.06
Initial sediment concentration, kg/kg	3.3E-08	3.3E-08	2.4E-09
Initial conc. on stormwater particles, kg/kg	3.5E-08	2.5E-08	1.0E-09
Adsorption rate onto suspended particles, 1/day	10	10	10
Desorption rate from suspended particles, 1/day	1E-04	1E-05	1E-04

Table 5. Values of biological parameters used in the Buffalo Slough Model.

Parameter	1254	1260	Chlordane
Phytoplankton sorption coefficient, K_{ph}	15,000	150,000	15,000
Phytoplankton lipid content, L_{ph}	0.01	0.01	0.01
Dry weight of phytoplankton, M_{ph} (kg)	5,000	5,000	5,000
Zooplankton consumption rate, c_z (kg/kg/d)	0.3	0.3	0.3
Zooplankton assimilation rate, a_z	0.5	0.5	0.5
Zooplankton excretion rate, kez (1/d)	0.01	0.004	0.01
Dry weight of zooplankton, M_z (kg)	500	500	500
Carp consumption rate, c_f (kg/kg/d)	0.02	0.02	0.02
Carp assimilation rate, a_f	0.5	0.5	0.5
Carp excretion rate, kef (1/d)	0.001	0.0004	0.001
Dry weight of carp, M_f (kg)	50	50	50

↓ "f_{lipid}"

$$C_{ph} = K_{ph} C_w = L_{ph} K_{ow}$$

Uptake into zoop's & fish: see model, next page.

At steady state: Uptake = Excretion

E.g. $\frac{dM_{fish}}{dt} \Big|_{up} = \frac{dM_{fish}}{dt} \Big|_{excr.}$

See next page.

ZOOP/CARP UPTAKE & EXCRETION

Uptake

Can assume that for $\log K_{ow} = 6-7$ (as we have) that food & feces are the major pathways

and gill uptake/loss is safely neglected

$$\frac{dM_f^u}{dt} = a_f C_f C_z M_{fb}$$

$$\left[\frac{k_{ga}}{d} \right]_f^u = \text{efficiency} \left[\frac{k_{gz}}{k_{gf} d} \right] \left[\frac{k_{ga}}{k_{gz}} \right] \left[k_{gf} \right]$$

For zoops: $\frac{dM_z}{dt} = a_z C_z C_{ph} M_{zb}$

Excretion

$$\frac{dM_f^e}{dt} = k_{EF} M_f$$

Note that k_{EF} is already lipid normalized, as per Thomas's '81 data

$$\left[\frac{k_{ga}}{d} \right]_f^e = \left[\frac{1}{d} \right] \left[k_{ga}^f \right]$$

For zoops: $\frac{dM_z}{dt} = k_{Ez} M_z$

At ~ steady state

$$\overset{\text{UPTAKE}}{a_f C_f C_z M_{fb}} = \overset{\text{EXCRETION}}{k_{EF} M_f}$$

$$C_f = \frac{M_f}{M_{zb}} = \frac{a_f C_f C_z}{k_{EF}}$$

And by extension

$$C_z = \frac{M_z}{M_{zb}} = \frac{a_z C_z C_{ph}}{k_{Ez}}$$

And

$$C_{ph} = \frac{M_{ph}}{M_{phs}} = L_{ph} K_{ph} C_w$$

He Already lipid normalize

Group

$$C_f = \frac{a_z a_f C_z C_f L_{ph} K_{ph}}{k_{Ez} k_{EF}} C_w$$

$$K_{BAF} = \frac{a_z a_f C_z C_f L_{ph} K_{ph}}{k_{Ez} k_{EF}}$$

Dynamic Model of PCB/Chlordane Behavior in Buffalo Slough

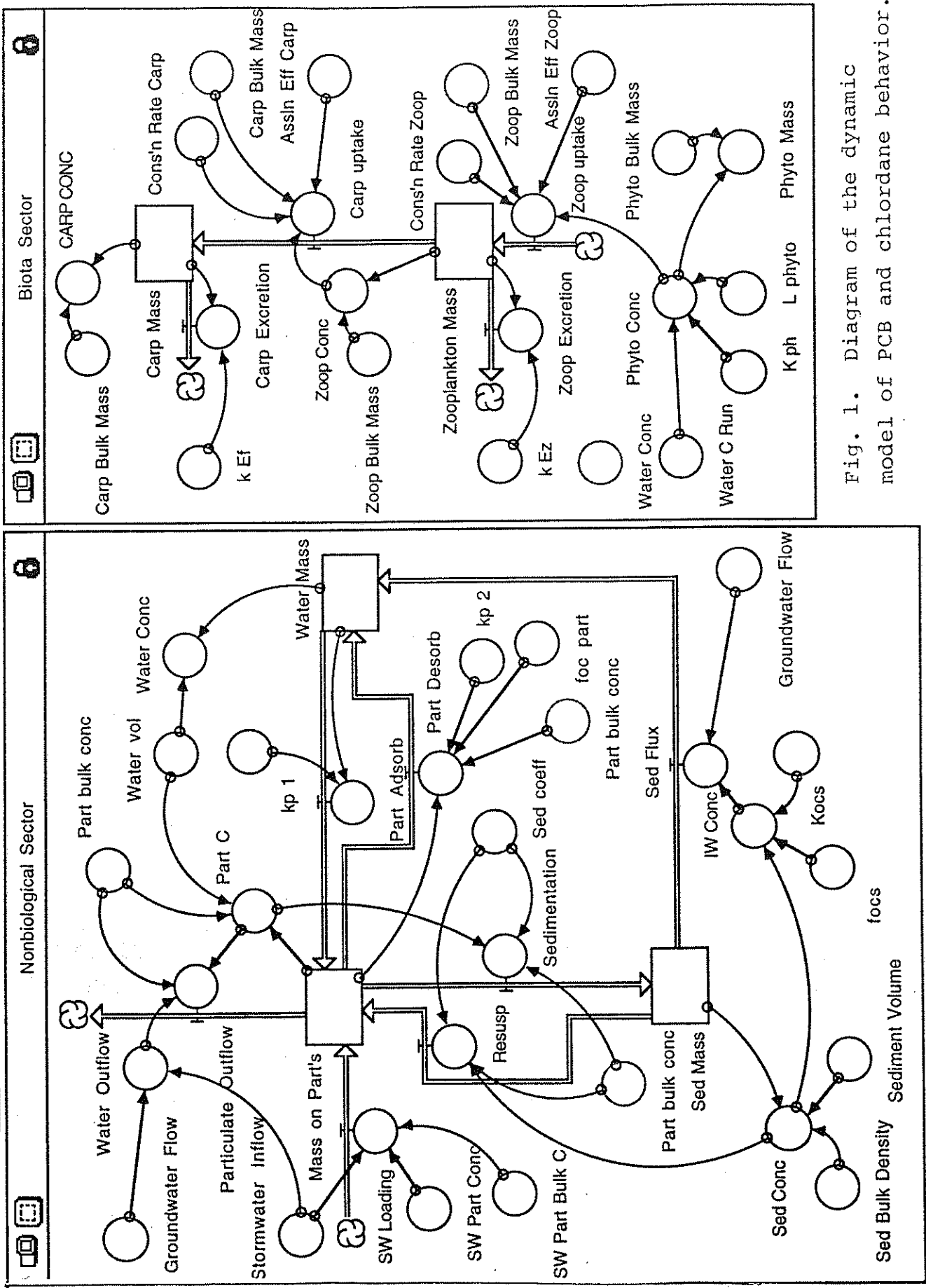


Fig. 1. Diagram of the dynamic model of PCB and chlordane behavior.